Abstract. The objective of this paper is to present a method for determining diurnal distribution of the intensity of effective non rainfall water flux. It was found that the application of TDR technique for the determination of diurnal dynamics of effective non rainfall water flux requires temperature correction of sensed volumetric moisture contents. Without temperature correction the error of estimated non rainfall water flux can be as much as 26%. In addition, the effect of temperature changes on the soil surface was determined in 0.5, 1, 2, 3, 4, and 5 hours periods. It was found that the intensity of effective non rainfall water flux was determined to the greatest extent by the rate of temperature drop during the period of 3 h preceding the non rainfall water flux determination. The agreement of non rainfall water flux calculated with the method proposed and that obtained by the collector was better for dew than for hoarfrost periods.

Keywords: TDR technique, effective non rainfall water flux, impermeable barrier

INTRODUCTION

Knowledge of the physical processes that affect the efficiency of water infiltration into the surface horizon of soil is important in the formulation of input data for mathematical models describing the movement of water (Jacobs et al., 2002; Reinhard and Reinhard, 2005). Knowledge of the run of processes of that type is important, as water is a source of nutrients for animals and plants (Kidron, 2005; Kolev et al., 2012). In such considerations one should take into account the role of dew, hoarfrost, condensation of water vapour contained in the soil air, and adsorption of water from the atmosphere. In regions with arid climate the effect of those processes on the water balance of the top horizon of soil may be greater than that of atmospheric precipitation (Agam and Berliner, 2006). As an example, the contribution of dew and hoarfrost in the annual water balance of the surface horizon of soil in a semi-desert area situated in Nevada, USA, amounts to 31 mm year⁻¹ (Malek et al., 1999). With regard to the phenomena considered here, the contemporary methods for the determination of the diurnal dynamics of the intensity of water infiltration can be classified in four groups: methods consisting in measurements with the use of dew and hoarfrost collectors, lysimetric methods, models employing empirical mathematical formulae, and phenomenological models.

The first group includes eg the Duvdevani dew gauge, the Cloth Plate Method and the Hiltner Dew Balance. The Duvdevani dew gauge is one of the first devices for the measurement of the dew balance (Duvdevani, 1947). The measured volume of dew deposit should be treated as an estimate and it cannot be compared with absolute values. The Cloth Plate Method is also a method in which the measurement is taken manually. The apparatus is equipped with a glass plate with dimensions of 10 x 10 x 0.2 cm, to the centre of which highly absorbing synthetic fabrics are attached, with dimensions of 6 x 6 cm (Kidron, 1998). In their study, Zangvil and Druian (1980) applied the Hiltner Dew Balance for dew measurement. In this case, the measurement consists in weighing an artificial condensation plate...
suspended on a beam 2 cm above the ground. The shortcoming of that simple and easy to use device is the fact that the energy balance of the condensation plate is different from the balance of the soil surface. This is due to the difference between the specific heat of the material of the plate and the specific heat of the soil material. Therefore the values measured can also be treated as a certain indicator (Agam and Berliner, 2006). The second group of methods comprises measurements made with the use of lysimeters of very high accuracy. They were applied in a study conducted in Greece, under semi-arid conditions, for quantitative determination of water vapour adsorption by soil (Kosmas et al., 1998). The results obtained indicate that the diurnal changes in volumetric moisture are the greatest in the top horizon of the soil (0-5 cm) and are subject to variation in an analogous manner to the diurnal variation of the relative humidity of the air. A similar experiment was conducted in 1987, also in Greece, in the locality of Spata (Kosmas et al., 2001). In that case, due to significant diurnal variations of temperature (the amplitude was as much as 24.3°C), a temperature correction was applied to the readings taken by means of a TDR apparatus (as in the study by Yamanaka et al., 2007). In studies conducted in the Negev Desert (Jacobs et al., 1999; 2002) it was demonstrated that the diurnal dew balance was from 0.1 to 0.2 mm, and its effect was limited only to 2, 3 cm layers of soil. In another study conducted also in the Negev Desert it was demonstrated that for dew measurement the minimum depth of micro-lysimeters should exceed the depth at which the diurnal temperature of the soil is constant (Bryš and Bryš, 2010; Ninari and Berliner, 2002). The micro-lysimeters designed by Heusinkveld et al. (2005) and applied by Kaseke et al. (2011) are fully automated (LCM) and supplied with solar energy. Studies conducted in the winter period in Stellenbosch, South Africa, involved the use of an aluminium Tedea-Huntleigh 1004 loadcell. It was demonstrated that the diurnal adsorption of water vapour (average of 2.369 mm) had a three-fold larger contribution to the supply of the surface horizon of soil than the dew yield (mean of 0.785 mm).

The third group of methods comprises mathematical formulae, in which the difficulty of finding effective solutions results from the necessity of determining a large number of input data (Agam and Berliner, 2006; Li, 2002; Richards, 2002). A study by Kosmas et al. (1998) presented an empirical formula in which the input data included the adsorption of water vapour (mm), soil moisture tension (kPa), minimum daily relative humidity (%), and the daily amplitude of relative humidity.

The fourth group includes phenomenological models in which the phenomenon of non-rainfall is described by means of mathematical relations between physical values. Due to the complexity of the phenomenon of the formation of dew and water vapour condensation, the use of such models is difficult. As in the case of the empirical models, it is necessary to introduce a lot of input data characterising the soil medium, information on the changing atmospheric conditions, and to determine the status of the soil water. As an example, in a comprehensive mathematical model described in a paper by Katata et al. (2007), the input data include the soil temperature (K), the thermal conductivity (W m⁻¹ K⁻¹), the latent heat of vaporization (J kg⁻¹), the phase changes of soil water (kg m⁻² s⁻¹), the volumetric soil water content (m³ m⁻³), the soil water diffusivity (m² s⁻¹), the unsaturated hydraulic conductivity (m s⁻¹), the density of liquid water (kg m⁻³), the diffusion coefficient of water vapour (m² s⁻¹), and the density of water vapour (kg m⁻³). At present, both of those approaches – the empirical and the phenomenological – are criticized (Agam and Berliner, 2006).

Summing up the review of the four groups of methods used so far for the determination of effective non rainfal water flux (ER) it should be concluded that each of them is burdened with shortcomings. In the methods involving the use of collectors the energy balance of the condensation plate differs from the balance of the soil surface. In lysimetric tests the structure of the soil is disturbed, and there appear interferences caused by the boundary effect. There is also a risk of appearance of interference between phenomena (water from an overgrown monolith can be transmitted by the plants to the atmosphere and at the same time dew can be deposited on the soil surface, supplying its top horizon with moisture). Also, we do not know the answer to the question what part of the water remains on the surface of the soil or plants and what part actually supplies the surface horizon of the soil (Ermich, 1958). In lysimetric experiments it is difficult to ascertain whether the surface horizon of the soil has been supplied with water from dew deposition on the soil surface or as a result of water vapour condensation. Methods employing empirical mathematical formulae, and phenomenological models, require numerous input data.

The objective of the present study was to propose a method which is free of the above shortcomings and permits the determination of the diurnal distribution of the intensity of effective non rainfal water flux. Effective non rainfal water flux is understood as the volume of water which actually supplies the surface horizon of soil, in the form of dew, hoarfrost, deposition of fog, condensation of water vapour from the soil air, and adsorption of water from the atmosphere. The only input parameters required for the proposed method will be the moisture content and temperature of the soil surface horizon.

**MATERIALS AND METHODS**

Let us consider changes in volumetric moisture content, determined by the TDR technique (Δθ_{TDR}^{i,j,k}) in a soil space denoted in Fig. 1 as I_{i,j}, in the surface horizon k = 1. The change of Δθ_{TDR}^{i,j,1} may be an actual change in the volumetric
moisture content of $\Delta \theta_{i,j,1}$ and a temperature change of the measured medium (Skierucha, 2009). This can be written as:

$$\Delta \theta_{TDR, i,j,1} = \Delta \theta_{V, i,j,1} + \Delta \theta_{T, i,j,1}, \quad (1)$$

where: $\Delta \theta_{TDR, i,j,1}$ – change of the reading from the TDR gauge, $\Delta \theta_{V, i,j,1}$ – actual change of volumetric moisture, $\Delta \theta_{T, i,j,1}$ – change of reading caused by temperature change ($\Delta T_{i,j,1}$).

Changes of $\Delta \theta_{V, i,j,1}$ are caused by water flow through the side walls of space $V_{i,j,1}$ ($\Delta V_{i,j,1}^X; \Delta V_{i,j,1}^Y$) and also through the upper and lower surfaces ($\Delta V_{i,j,1}^{ZB}; \Delta V_{i,j,1}^{ZT}$).

A change of $\Delta \theta_{V, i,j,1}$ can be caused also by draining water from plant roots ($\Delta V_{i,j,1}^E$). In addition, due to the cooling of the soil air, water vapour condensation may appear on the surface of soil pores, which can also cause an increase in the volume of soil water content ($\Delta V_{i,j,1}^C$). Change of $\Delta \theta_{V, i,j,1}$ results from an error introduced by the instrument itself i.e. its short- or long-term thermal drift, non-linearity of the delay system, inaccuracy of determination in time of the extremes on the reflectogram. Ultimately we can write, in conformance with Fig. 1, that changes of $\Delta \theta_{TDR, i,j,1}$ are the function of the following values:

$$\Delta \theta_{TDR, i,j,1} = f(\Delta V_{i,j,1}^X; \Delta V_{i,j,1}^Y; \Delta V_{i,j,1}^{ZB}; \Delta V_{i,j,1}^{ZT}; \Delta V_{i,j,1}^C; \Delta \theta_{T, i,j,1}), \quad (2)$$

where: symbols as in Fig. 1.

Let us assume $\Delta V_{i,j,1}^X$, $\Delta V_{i,j,1}^Y$, and $\Delta V_{i,j,1}^{ZB}$ to be zero. This can be achieved with the application of an impermeable barrier on the side walls and on the lower surface. If in space $V_{i,j,1}$ there are no plant roots and no irrigation system, $\Delta V_{i,j,1}^E = 0$. Let us assume additionally that there is a known function describing the effect of the temperature of the medium and of the environment on TDR readings. Such a function can be developed on the basis of a field experiment. After introducing a temperature correction, we obtain the corrected volumetric moisture content ($\theta_{TDR, i,j,1}$), and that – in relation with the assumptions introduced earlier – depends only on $\Delta V_{i,j,1}^{ZT}$ and $\Delta V_{i,j,1}^C$. Therefore we can finally write that:

$$\Delta \theta_{TDR, i,j,1} = f(\Delta V_{i,j,1}^{ZT}, \Delta V_{i,j,1}^C), \quad (3)$$

where: symbols as in Eq. (2).

Change of $\Delta V_{i,j,1}^{ZT}$ can be caused by atmospheric precipitation, evaporation or infiltration of water from the soil surface that originated from dew or hoarfrost deposition on the soil surface. It can be written that:

$$\Delta V_{i,j,1}^{ZT} = \Delta V_{i,j,1}^{ZT} (N) + \Delta V_{i,j,1}^{ZT} (P) + \Delta V_{i,j,1}^{ZT} (E'), \quad (4)$$

where: $\Delta V_{i,j,1}^{ZT} (N)$ – volume change of water in $V_{i,j,1}$ space resulting from atmospheric precipitation, $\Delta V_{i,j,1}^{ZT} (P)$ – change in the volume of water in space $V_{i,j,1}$ due to evaporation, $\Delta V_{i,j,1}^{ZT} (E')$ – change in the volume of water in space $V_{i,j,1}$ due to the infiltration of water from the soil.
surface that originated from the deposition of dew or hoarfrost. Taking into account the adopted assumptions, on the basis of Eqs (3) and (4) we can write that:

\[
\Delta \theta^{TDR,S}_{i,j,1} = f(\Delta V^ZT_{i,j,1}(N); \Delta V^C_{i,j,1}(P); \\
\Delta V^ZT_{i,j,1}(E^r); \Delta V^C_{i,j,1}),
\]

(5)

where: symbols as in Eqs (3) and (4).

In Eq. (5), for a period with no rain, when \(\Delta V^C_{i,j,1} > 0\) and \(\Delta V^ZT_{i,j,1}(E^r) > 0\) (when air moisture content is high), then \(\Delta V^ZT_{i,j,1}(P) = 0\). Therefore we can finally write that:

\[
\Delta \theta^{TDR,S}_{i,j,1} = f(\Delta V^C_{i,j,1}; \Delta V^ZT_{i,j,1}(E^r)).
\]

(6)

The sum of components \(\Delta V^C_{i,j,1}\) and \(\Delta V^ZT_{i,j,1}(E^r)\) constitutes the volume of water that will actually supply the surface horizon of the soil. That water is formed through the deposition of dew or hoarfrost, and also through the condensation of water vapour from soil and atmospheric air. The sum of those components will be denoted with the symbol \(\Delta V^R_{i,j,1}\) and the intensity of that supply referenced to area, expressed in mm h\(^{-1}\), will be denoted with the symbol \(E^R\). Further on the value \(E^R\) will be referred to as the intensity of effective non rainfall water flux. It can be calculated from Eq. (7):

\[
E^R = \left( (\theta^{TDR,S}_{i,j,1})^k - (\theta^{TDR,S}_{i,j,1})^p \right) \frac{V_{i,j,1}}{P \Delta t},
\]

(7)

where: \(E^R\) – intensity of effective non rainfall water flux; \(\theta^{TDR,S}_{i,j,1}\) – corrected reading from the TDR gauge at the initial moment \((t^p)\), (at the final moment \((t^k)\)); \(P\) – upper surface of volume \(V_{i,j,k}, P = \Delta x \Delta y\) (Fig. 1), \(\Delta t = t^k - t^p\).

To demonstrate the applicability of the TDR technique for the determination of the intensity of effective non rainfall water flux \((E^R)\) a field experiment was conducted in Wroclaw, Lower Silesia, in the area of the meteorological observatory of the Department of Climatology and Atmosphere Protection, University of Wroclaw, during the period from 20th October to 16th December, 2011.

A schematic presentation of the experiment is given in Fig. 2. The particle size distribution of the mineral parts of the soil material forming the surface horizon corresponded, acc. to PTG classification of 2008, to sandy loam (gp). It was assayed with the method of laser diffraction at the Laboratory of Applied Optical Measurement Techniques, Bohdan Dobrzanski Institute of Agrophysics PAS, Lublin, Poland. The measurements were made using a Mastersizer 2000 apparatus with Hydro G attachment (Sochan et al., 2012). The parameters recorded included the intensity of atmospheric precipitation and the temperature at the soil surface. The deposited dew/hoarfrost was collected by means of insulated plain radiative condensers (Blas et al., 2002; Nilsson, 1996; Muselli et al., 2002; Beysens et al., 2003). The condensing surface of 1 m\(^2\) was covered with polyethylene film and 5 cm thick insulating layer made of styrofoam. It was placed at the height of about 1 m above the ground. The inclination angle of the surface was 15-20. The condenser was inclined towards the west in order to minimize the warming effect of direct solar radiation after sunrise. The condenser was cleaned up with deionized water, around sunset, just before the potential start of a new dew formation episode. In the profile of the surface horizon of the soil also the volumetric moisture was recorded (sensors FP/mts and LP/ms) and the temperature (sensors LP/T). The sensors were made at the Institute of Agrophysics PAS, Lublin (Poland) (online: Soil water status measurement devices, 2008).
The particular test sites in the experiment were denoted with symbols A, B, C and D (Fig. 3). At site A, beneath the surface of the ground, moisture and temperature sensors were installed at intervals from 1 to 10 cm down to the depth of 40 cm. At sites B, C and D measurements were made only in the top 1 centimetre layers which were separated from the underlying soil profile be means of an aluminium barrier. The length of the LP/ms sensor needle is 5.3 cm and the distance between the metal rods is 0.6 cm. It was found (Janik et al., 2011) that for soils of low water content the LP/ms sensor sphere of influence is an elliptic cylinder with the radiuses of 0.3 cm and 0.4 cm and the height of 11.2 cm. In the experiment presented in the paper, the height of the soil layer was 1 cm. Consequently, the distance between the sensor axis and the border of the soil-aluminium barrier is bigger and it is equal to 0.5 cm. As a result, the LP/ms sensor sphere of influence is enclosed completely in the tested soil volume.

The preparation of the measurement site was as follows. The vertical surface was exposed, which enabled to push the aluminium barrier without destroying the soil profile in the middle of the barrier. Then, the needles of the sensor were pressed in so as not to destroy the soil structure. Finally, the vertical barriers were installed and covered with the soil.

Site C was insulated additionally with a top barrier. Sites A, B and C were situated on a fallow, and D on a grass-covered area. The purpose of the measurements at site B was the determination of the intensity of effective non rainfall water flux on a fallow, and at site D – on a lawn. The results obtained at that site were burdened with an error resulting from the fact that \( \Delta V_{E_{ij1}} \neq 0 \). The measurements at site C were aimed at the determination of the temperature correction for object No. 1 to permit the determination of the corrected value of volumetric moisture (\( \theta_{ij1} \)). The results of measurements at site A were compared with the results of measurements at site B to determine the effect of the use of the barrier. At the final stage of analysis of data from that object, tests of the goodness of fit were performed for the values of \( E^R \) obtained from the measurements at sites A, B and D with the data measured with a dew collector. The following measures were applied: maximum absolute difference (\( R_{\text{max}} \)) (Eq. (8)), mean values of absolute differences (\( S_{\text{WB}} \)) (Eq. (9)) and the root mean square of the differences (\( R.M.S \)) (Eq. (10)). Additionally, the maximum difference \( P_{\text{max}} \) (Eq. (11)) and the minimum difference \( P_{\text{min}} \) (Eq. (12)) were applied. Definitions of selected measures for a constant number of days (\( H = \text{const} \)) are as follows:

\[
R_{\text{max}} = \max_h \left\{ E^R_{A,B,D,h} - E^R_{K,h} \right\},
\]

(8)

\[
S_{\text{WB}} = \frac{1}{H} \sum_{h=1}^{H} \left| E^R_{A,B,D,h} - E^R_{K,h} \right|,
\]

(9)

\[
R.M.S = \sqrt{\frac{1}{H} \sum_{h=1}^{H} \left( E^R_{A,B,D,h} - E^R_{K,h} \right)^2},
\]

(10)

\[
P_{\text{max}} = \max_h \left\{ E^R_{A,B,D,h} - E^R_{K,h} \right\},
\]

(11)

\[
P_{\text{min}} = \min_h \left\{ E^R_{A,B,D,h} - E^R_{K,h} \right\},
\]

(12)

where: \( E^R_{A,B,D} \) – intensity of effective non rainfall water flux calculated on the basis of measurements at test sites A, B, D; \( E^R_{K} \) – intensity of effective non rainfall water flux calculated on the basis of measurements made with a dew collector; \( R_{\text{max}} \) – maximum absolute difference; \( R.M.S \) – root mean square; \( P_{\text{max}} \) – maximum difference; \( P_{\text{min}} \) – minimum difference; \( H \) – number of days; \( h \) – index of day.
RESULTS

The intensity of atmospheric precipitation, the dynamics of temperature and moisture in the top 1 centimetre layer of soil at test sites A, B and D is presented in Fig. 4. The initial values of volumetric moisture content on 21.10.2011 at $\theta^0$ were varied. At test sites A and D they were $\theta_A^{21.10} = 28.8\%$ and $\theta_D^{21.10} = 28.5\%$, respectively, while at site B $\theta_B^{21.10} = 21.5\%$. Their range is 7.3%. At the final moment, on 15.12.2011 at 2400, it was even stronger $\theta^{15.12} = 12.3\%$. The moisture increments from rainfall also varied. For example, in the case of 0.1 and 4.3 mm day$^{-1}$ precipitation that occurred on the 25th and 26th October, 2011, respectively, the following moisture increments were recorded: at test site A: $\Delta \theta_A^{25.10} = 31.7 - 26.4 = 5.3\%$, at site B: $\Delta \theta_B^{25.10} = 23.2 - 16.7 = 6.5\%$, at site D: $\Delta \theta_D^{25.10} = 38.2 - 23.6 = 14.7\%$. Amplitudes caused by a more intensive rainfall, with a maximum of 14 mm day$^{-1}$, that occurred on 5th December, 2011, were as follows: $\Delta \theta_A^{5.12} = 39.8 - 20.5 = 19.3\%$, $\Delta \theta_B^{5.12} = 32.4 - 13.4 = 19.4\%$ and $\Delta \theta_D^{5.12} = 32.3 - 10.3 = 22\%$, respectively. These moisture increments were calculated on the basis of moisture contents observed at test sites A and B.

Fig. 4. Intensity of rainfall in object and dynamics of volumetric moisture and temperature in 1 cm layer of soil and at test sites A, B and D, in the period from 21.10 to 15.11.2011, $\theta^{21.10}_A$, $\theta^{21.10}_B$, $\theta^{21.10}_D$, $\theta^{15.12}_A$, $\theta^{15.12}_B$, $\theta^{15.12}_D$ – values of moisture on 21.10 and 15.12 $\Delta \theta^{26.10}$, $\Delta \theta^{26.10}_A$, $\Delta \theta^{26.10}_B$, $\Delta \theta^{26.10}_D$ – moisture increments caused by rainfall on 25 and 26.10.2011, $\Delta \theta_A,B$ – difference between moisture values observed at test sites A and B.
measured at each test site simultaneously. Variations in the soil moisture contents and amplitudes due to the rainfall are justified and result from spatial variation of the soil physical properties. This applies to points situated at small distance from each other. This should always be kept in mind when conducting studies using TDR gauges (Janik, 2008; Obalum et al., 2013). At the sites on the fallow (A and B) moisture content changes were similar. The moisture content at test site A was higher than that at site B, throughout the study period ($\Delta\theta_{A,B} = 9\%$). Different course of moisture content changes was observed at the grass covered site (D). In this site a transpiration effect was observable (assumption of relation 7 is not fulfilled). The observed moisture changes were influenced by, among other things, atmospheric precipitation that occurred on 25th and 26th October, 2011, and from 2nd to 14th December, 2011, as well as the drop of temperature below 0°C in the top 1 centimetre of soil, ie out of the normal operation range of the TDR gauge. Such periods appeared from 12th to 14th November, 24th to 25th November, 29th November to 1st December, and 10th to 13th December, 2011. In those periods effective non rainfall water flux was not determined. Figure 5 presents the temperature and moisture content dynamics at site A at selected soil depths. Diurnal variations in temperature were observed even at the depth of 40 cm, though their value was only 0.6°C. However, diurnal variations in moisture contents were observed only to 5 mm soil depth.

![Fig. 5. Dynamics of soil temperature and dynamics of volumetric moisture at depths of 0.5, 5.5, 15, 23 and 40 cm.](image)
Estimation of the intensity of effective non rainfall water flux with one hour time step requires high accuracy of volumetric moisture content measurement. The expected dose of deposited water in that period (estimated on the basis of the references cited herein) may be as low as 0.02 mm h$^{-1}$. This means that the moisture increment in the 1 cm layer of soil will be only 0.2% (2 x 10$^{-3}$ m$^{-3}$). Better accuracy of measurement with the TDR apparatus can be obtained by introducing a temperature correction (Skierucha, 2009). Such a correction was determined on the basis of a field experiment, using temperature and moisture measurements taken at test site C in the period from 2nd to 5th November, 2011 (Fig. 6). Since test site C was constructed in such a way as to preclude water flow through any of the walls of space $V_{i,j,l}$, any change of moisture readings taken with the TDR gauge can only be due to oscillations in soil temperature. Therefore the diurnal course of volumetric moisture contents at site C is different from those at test sites A, B and D.

The course of actual volumetric water content and temperature at site C is presented in Fig. 6. Despite the lack of water flux through any wall of space $V_{i,j,l}$ a diurnal variation of moisture content is observed in the readings from the TDR gauge. As an example, on 2nd November, 2011, the diurnal amplitude of moisture readings was 0.8% percentage points:

$$\Delta \theta_C^{2.11} = \theta_C^{2.11}_{\text{max}} - \theta_C^{2.11}_{\text{min}} = 18.6 - 17.8 = 0.8\%,$$

while the diurnal amplitude of temperature was 15.5°C

$$\Delta T_C^{2.11} = T_C^{2.11}_{\text{max}} - T_C^{2.11}_{\text{min}} = 17.4 - 19 = 15.0\text{°C}.$$

Ultimately, the relation of temperature and TDR gauge readings was developed for the range of 0.5°C $< T_C < 18.8°C$, as presented in Fig. 7. The slope of the line approximating moisture readings as a function of temperature has the value of only 0.045, so the effect of temperature on volumetric moisture readings is slight (temperature increase from 1 to 18°C causes moisture increase by about 1%). However, considering the accuracy of the readings, it was taken into account in further calculations of $E_R$. It should be noted that the readings of TDR are correct when the soil temperature is equal to the temperature at which the full calibration of the sensors was made prior to the experiment (18°C). For majority of soils the value of coefficient $d\theta/dT = -1$ is negative (Skierucha, 2009). Only for soils with a content of the clay fraction the value of $d\theta/dT = -1$ is positive (Skierucha, 2009). In the object studied the percentage share of the clay fraction was 26.83%.

It should be also explained that after the calibration in the temperature of 18°C the $\Delta \theta$ measurement uncertainty was 1-2% (Topp et al., 1980). However, when the sensor was placed permanently in the soil monolith, the $\Delta \theta$ was constant. Therefore, when calculating the soil moisture differences for the subsequent time instants, the influence of the error $\Delta \theta$ is zeroed.

Figure 8 presents the changes in moisture in the top layer of soil, with the temperature correction, versus the moisture without the correction. Introducing the empirically elaborated temperature correction caused hardly any change of the measured moisture content. As an example, on 3rd November, 2011, at site B the maximum moisture without the correction was $\theta_B^{3.11\text{max}} = 17.6\%$, and with the correction only 0.9% higher. However, the correction increased the diurnal amplitude of moisture for each test site. For example, on 3rd November, 2011, at site B the amplitude was $\theta_B^{3.11} = 1.9\%$ (17.6-15.7=1.9%) for readings without the correction, and for readings with the correction it was $\Delta \theta_B^{3.11} = 2.4\%$ (18.3-15.9=2.4%). Since the calibration temperature is higher than the temperature at which the measurements were taken, the true moisture is higher than the measured value. The biggest differences between moisture values with and without the temperature correction were observed in the morning hours, when the soil temperature is the lowest. This can be seen in Fig. 8, presenting the results from test site B. As follows from the above, if the temperature correction were not applied then the value of $E_R^{\text{B}}$, calculated on the basis of measurements with the TDR gauge, would be underestimated by 26%. The diurnal dynamics of effective non rainfall water flux ($E_R$) was ultimately determined on the
basis of the corrected values of moisture. For the calculations (Eq. (7)), the minimum moisture from the preceding day was adopted as the initial moisture \((\theta^{TDR,S}_{i,j,1})^P\), while the final moisture \((\theta^{TDR,S}_{i,j,1})^F\) was the maximum moisture value on the current day. The results of calculations of the value of \(E_R\) for periods in which no rainfalls were observed and soil temperatures were higher than 0.5°C are presented in Fig. 9. The values calculated for the particular test sites and for the dew collector have different runs. The lines marked with symbols \(E^R_A\) and \(E^R_B\) represent calculations for data from sites with no vegetation. The lines are parallel, which indicates similar temporal variation of the intensity of effective non rainfall water flux. The values of the intensity at the site isolated from the soil monolith (test site B) are higher than those at site A. This should be attributed to the fact that the water from effective non rainfall, that penetrated through the surface into the top layer of the soil, did not supply the lower horizons. It should be kept in mind that the lack of the barrier at test site A results in \(\Delta V^Z_{i,j,1} \neq 0; \Delta V^X_{i,j,1} \neq 0; \Delta V^Y_{i,j,1} \neq 0\), thus the adopted assumptions (see ‘Material and Methods’) are not fulfilled. Analysing the shape of line \(E^R_K\) formed as a result of the observations obtained from the dew collector one can conclude that variations on the consecutive days are greater than in lines \(E^R_A\) and \(E^R_B\). The difference in the shape of line...
In relation to lines $E_{A}^{R}$ and $E_{B}^{R}$ should be attributed to the different atmospheric conditions in the vicinity of the dew collector and on the soil surface. However, the courses of lines $E_{1A}^{R}$ and $E_{1B}^{R}$ are predominantly similar to the course of line $E_{K}^{R}$. The intensity of effective non rainfall water flux for the grass cover test site ($E_{D}^{R}$) is approximately constant: 0 mm day$^{-1}$. This means that when the soil is covered with grass the water from effective non rainfall does not supply the top layer of the soil or that supply is balanced by evapotranspiration.

Figure 9 presents also periods in which dew or hoarfrost were observed on the collector. The first to be analysed were those time intervals in which dew was observed, then the periods when hoarfrost was observed on the collector. The estimation of the goodness of fit of the data obtained on the basis of measurements taken at test sites A, B and D with the data from the dew collector was performed with two methods. The first consisted in the analysis of values calculated on the basis of relations 7 to 11, and the second in the analysis of the regression lines. Table 1 presents the values of the fit of the data for the period when dew was observed on the collector, and separately for the periods with hoarfrost. On the days with dew the values of $S_{WB}$ and $R.M.S.$ are the lowest for test site B, and the highest for site D. This indicates that when the intensity of effective non rainfall water flux is estimated only on the basis of TDR measurements, with simultaneous isolation of the top layer of the bare soil, the results of the value $E_{K}^{R}$ are the closest to the values of $E_{D}^{R}$ measured on the collector. Analysis of data $P_{\text{max}}$ and $P_{\text{min}}$ shows that the maximum differences between the values calculated on the basis of TDR measurements in relation to the values calculated from the collector data are significant – even for test site B ($P_{\text{max}}$ at site B for dew is 0.081 mm day$^{-1}$). Analysing the values of the measures of goodness of fit for the periods when hoarfrost appeared on the collector we can find that, as in the case of periods with

![Figure 9. Diurnal intensity of effective non rainfall water flux calculated on the basis of TDR measurements and data from dew collector. $E_{A}^{R}$, $E_{B}^{R}$, $E_{D}^{R}$ – diurnal intensity of effective non rainfall water flux at test sites A, B and D; $E_{K}^{R}$ – diurnal amount of deposit recorded on the collector.](image)

<table>
<thead>
<tr>
<th>Test site</th>
<th>$R_{\text{max}}$</th>
<th>$R.M.S$</th>
<th>$P_{\text{max}}$</th>
<th>$P_{\text{min}}$</th>
<th>$S_{WB}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>A</td>
<td>0.149</td>
<td>0.065</td>
<td>0.031</td>
<td>-0.149</td>
<td>0.044</td>
</tr>
<tr>
<td>B</td>
<td>0.082</td>
<td>0.044</td>
<td>0.081</td>
<td>-0.055</td>
<td>0.037</td>
</tr>
<tr>
<td>D</td>
<td>0.234</td>
<td>0.096</td>
<td>0.005</td>
<td>-0.234</td>
<td>0.065</td>
</tr>
</tbody>
</table>

for a period with dew on the collector

<table>
<thead>
<tr>
<th>Test site</th>
<th>$R_{\text{max}}$</th>
<th>$R.M.S$</th>
<th>$P_{\text{max}}$</th>
<th>$P_{\text{min}}$</th>
<th>$S_{WB}$</th>
</tr>
</thead>
<tbody>
<tr>
<td>A</td>
<td>0.194</td>
<td>0.088</td>
<td>0.029</td>
<td>-0.194</td>
<td>0.081</td>
</tr>
<tr>
<td>B</td>
<td>0.102</td>
<td>0.054</td>
<td>0.100</td>
<td>-0.102</td>
<td>0.050</td>
</tr>
<tr>
<td>D</td>
<td>0.272</td>
<td>0.129</td>
<td>0.026</td>
<td>-0.272</td>
<td>0.119</td>
</tr>
</tbody>
</table>

for a period with hoarfrost on the collector

Table 1. Measures of the goodness of fit between data obtained on the basis of measurements with the TDR apparatus and the data from the collector.
dew, the values of $S_{YB}$ and R.M.S. are the lowest for test site B and the highest for site D. The only difference is that 13 out of the 15 measures calculated assume higher values in the case of hoarfrost. This indicates that for periods with hoarfrost the goodness of fit of calculated values of $E^R$ obtained on the basis of TDR measurements with values obtained on the basis of data from the collector is lower.

Figure 10 presents the regression lines plotted on the basis of points generated from the comparison of values of $E^R$ calculated on the basis of TDR measurements at test sites A, B and D ($E^R_A$, $E^R_B$, $E^R_D$) with values obtained on the basis of measurements made with the dew collector. Also in this case the analyses were made separately for periods with dew and those with hoarfrost. The slopes of the regression lines assume values from -0.0563 ($E^R_D$ – for hoarfrost) to 1.4224 ($E^R_B$) for dew. The value closest to 1, i.e the best fit of the results obtained from the TDR measurements with those from measurements with the dew collector, was obtained at test site B. The results for dew, obtained from TDR measurements, are higher than those from the collector (the slope of the regression line is $a_B>1$), and those for hoarfrost are lower ($a_B<1$). For test site A (without grass and the impermeable barrier) the slopes of the regression line assume lower values, at 0.1611 for dew and 0.290 for hoarfrost, respectively. This supports the fact that results obtained on the basis of TDR measurements without an impermeable barrier are poorly correlated with results obtained from the dew collector. In the case when the soil is covered with grass the slope values are $a_D = 0.028$ for dew and $a_D = -0.0563$ for hoarfrost. This indicates a lack of correlation.

The mean diurnal intensity of non rainfall for 9 days on which dew was observed is $E_{K,ave}^{R}$ = 0.086 mm day$^{-1}$ (on the collector), and at site B it is higher by 0.027 mm day$^{-1}$ and amounts to $E_{B,ave}^{R}$ = 0.114 mm day$^{-1}$. On 8 out of 10 days $E_B^R < E_{B,ave}^R$. This comparison indicates (assuming that the values of $E_{K,ave}^R$ represent real deposition of dew to the ground) that 76% of water in the top layer of the soil originates from dew and 24% from the condensation of water vapour contained in the soil air and atmospheric air. Whereas, in the period with hoarfrost $E_{K,ave}^R$ = 0.104 mm day$^{-1}$ (on the collector), and at site B it is lower by 0.016 mm day$^{-1}$ and amounts to $E_{B,ave}^R$ = 0.0880 mm day$^{-1}$. At the same time, on 11 out of 15 days $E_B^R < E_{B,ave}^R$. In this case one can state that 100% of water in the top layer of the soil comes from the hoarfrost. This is due to the fact that the frozen thin layer of the soil creates a membrane blocking the adsorption of water vapour from the soil air.

Figure 11a presents the diurnal variability of effective non rainfall water flux calculated for a selected 6-day period in which dew was observed on the collector. The value of $E^R$ was calculated from Eq. (7), using moisture measurements from individual sensors installed at test sites A, B and D. The
Calculations were made with a time step of $\Delta t = 0.5$ h. The values obtained were expressed in mm h$^{-1}$. The maximum values of $E_{RA}$ and $E_{RB}$ appear in the period between 1500 and 1800 hours. On each of the days analyzed there appear periods in which the values of $E_{RB}$ are considerably higher than those of $E_{RA}$. This supports the fact that changes in the volume of water at site B are caused solely by effective non rainfall water flux (the water does not supply the lower layers of soil). Values of $E_{RD}$ – at the test site covered with grass – assume negative values throughout the period of the experiment. This means that at site D the phenomenon of top layer of soil being supplied by effective non rainfall water flux does not appear, in spite of dew deposit being observed on the collector. Non rainfall is deposited on grass blades and then evaporates to the atmosphere, or water uptake by grass roots balances or exceeds the supply from the non rainfall. In the study presented here this problem has not been solved. The irregularities of lines $E_{RA}$, $E_{RB}$ and $E_{RD}$ result from the fact that a change in moisture reading by 0.1% causes a change in the value of $E_{R}$ by 0.01 mm h$^{-1}$. The shapes of lines $E_{RA}$, $E_{RB}$ and $E_{RD}$, plotted for a period with hoarfrost observed on the collector are similar to those of the lines presented in Fig. 11b. The only difference is that the values of $E_{R\text{max}}$ are lower than those calculated for the period with dew (the membrane effect).

Fig. 11. Diurnal variation of the intensity of effective non rainfall water flux calculated on the basis of TDR measurements, for the periods with: a – dew, b – hoarfrost, $E_{RA}$, $E_{RB}$, $E_{RD}$ – diurnal intensity of effective non rainfall water flux calculated on the basis of measurements from individual sensors separately for each test site.

Figure 12a presents the changes in the values of $E_{R}$ calculated separately for each test site, and averaged for the period with dew. It can be seen from the Figure that the process of supply of the top layer of the soil at test site B starts already at 1400. Then its intensity increases, reaching its maximum $E_{R\text{max}} = 0.027$ mm h$^{-1}$ at 1630. In the subsequent period a decrease is observed in the value of $E_{R\text{ave}}$. However, it is not as dynamic as the initial growth. The value of $E_{R\text{ave}}$ gets zeroed at 2330. The shape of line $E_{R\text{ave}}$ is similar. However, the process of supply of the top layer of soil starts later that at site B – i.e. at 1500. The maximum, $E_{R\text{max}}$ is attained 0.5 h later, i.e. at 1700. From 1700 there is a slow decrease, and the value of 0 mm day$^{-1}$ is reached at 2330. At test site D the values of $E_{R\text{ave}}$ are negative throughout the day. Figure 12b presents the course of the values of $E_{R}$ calculated separately for each test site and averaged for the period with hoarfrost. The character of the runs of values for the periods with dew and with hoarfrost is similar, the difference consisting in that the averaged values of $E_{R}$ for hoarfrost are lower than the corresponding averages calculated for the periods with dew.
Fig. 12. Mean diurnal variation of the intensity of effective non rainfall water flux calculated on the basis of TDR measurements, for the periods with: a – dew, b – hoarfrost, $E_{A}^{R}$, $E_{B}^{R}$, $E_{D}^{R}$ – diurnal intensity of effective non rainfall water flux calculated on the basis of measurements from individual sensors separately for each test site.

Fig. 13. Relation of the intensity of effective non rainfall water flux at test site B ($E_{B}^{R}$) with the rate of temperature drop ($V_{\Delta T}$) on the soil surface. $\Delta t$ period for which the rate of temperature drop $V_{\Delta T}$ was determined.
Figure 13 presents the relation between the intensity of effective non rainfall water flux and the rate of changes of temperature on the soil surface. That rate is denoted as $V_{AT}$ and it was determined for different intervals $\Delta t_i$ ($t_i = 0.5, 1, 2, 3, 4, 5$ h). If $V_{AT} < 0^\circ C$ h$^{-1}$ there is a drop of temperature. The intensity of effective non rainfall water flux ($E_B^R$) was determined within hourly intervals. Linear relations $E_B^R = V_{AT} + b$ were developed from the periods $\Delta t_i$. The highest value of the coefficient of correlation was obtained when $\Delta t_i = 3h$ ($R^2 = 0.6484$). This means that the rate of temperature drop on the soil surface during the period of 3 h preceding the determination of the value of $E_B^R$ has the strongest effect on the intensity of effective non rainfall water flux.

CONCLUSIONS

1. The advantage of the presented method for the determination of the diurnal distribution of effective non rainfall water flux is that the only input parameters required for the application of the method, and ones easy to measure, are the moisture of the top layer of the soil and its temperature. The measurements were conducted on samples with undisturbed structure, under thermal conditions equivalent to the natural conditions.

2. The application of the TDR technique for the determination of the diurnal dynamics of the intensity of effective non rainfall water flux requires the application of a temperature correction during the determination of volumetric moisture. The lack of such a correction may cause that the value of the intensity of effective non rainfall water flux will be estimated with an error of up to 26%.

3. The method, applied in conjunction with measurements on a dew and hoarfrost collector, permits to determine what part of effective non rainfall water flux is due to the condensation of water vapour from the soil air and atmospheric air, and what part originates from dew or hoarfrost.

4. The agreement between the values of the intensity of effective non rainfall water flux calculated with the method proposed and the values obtained from the collector is better for periods with dew than for periods with hoarfrost. The relevant root mean square values equal 0.044 and 0.054 mm day$^{-1}$, respectively.

5. It was found that when hoarfrost appears on the soil surface a membrane forms, rendering the adsorption of water vapour from the soil air impossible.

REFERENCES


